

UNDERGRADUATE MATHEMATICS SEMINAR

The seminar is on hiatus until the spring term. See you then!

Winter 2010 Math Final Exam Schedule

<u>Course #</u>	<u>Course Name</u>	<u>Professor</u>	<u>Room</u>	<u>Day</u>	<u>Date</u>	<u>Time</u>
IMP*112*01	Int Math/Physics 2	Tonnesen-Friedman	NWSE 112	Tue	Mar 16-15	9:00- 12:00 P.M.
MTH*060*01	Mathematics & Politics	Johnson, B.	SSCI 104	Mon	Mar 15-15	11:30 - 1:30 P.M.
MTH*060*02	Mathematics & Politics	Johnson, B.	SSCI 104	Mon	Mar 15-15	11:30 - 1:30 P.M.
MTH*101*01	Calculus with Precalc 2	Noussi, H.	HUMN 115	Mon	Mar 15-15	11:30 - 1:30 P.M.
MTH*101*02	Calculus with Precalc 2	Noussi, H.	HUMN 115	Mon	Mar 15-15	11:30 - 1:30 P.M.
MTH*110*01	Calculus 1	Taylor, A.	VART 215	Mon	Mar 15-15	11:30 - 1:30 P.M.
MTH*110*02	Calculus 1	Taylor, A.	VART 215	Mon	Mar 18-18	11:30 - 1:30 P.M.
MTH*112*01	Calculus 2	Blue, J.	BAIL 100	Thu	Mar 15-15	2:30 - 4:30 P.M.
MTH*112*02	Calculus 2	Lesh, K.	OLIN 115	Mon	Mar 15-15	11:30 - 1:30 P.M.
MTH*112*03	Calculus 2	Plofker, K.	OLIN 115	Mon	Mar 17-17	11:30 - 1:30 P.M.
MTH*113*01	AP Calculus	Plofker, K.	BAIL 102	Wed	Mar 18-18	2:30 - 4:30 P.M.
MTH*115*01	Calculus 3	Zwicker, W.	BAIL 207	Thu	Mar 15-15	8:30 - 10:30 A.M.
MTH*115*02	Calculus 3	Zwicker, W.	BAIL 201	Mon	Mar 16-16	8:30 - 10:30 A.M.
MTH*117*01	Calculus 4	Blue, J.	BAIL 201	Tue	Mar 18-18	9:00 - 11:00A.M.
MTH*127*01	Numerical Methods	Hardin, C.	OLIN 306	Thu	Mar 18-18	8:30 - 10:30 A.M.
MTH*128*01	Probability	Friedman, P.	BAIL 207	Thu	Mar 16-16	2:30 - 4:30 P.M.
MTH*130*01	Ordinary Differential Equations	Friedman, P.	BAIL 207	Tue	Mar 15-15	9:00 -11:00 A.M.
MTH*130*02	Ordinary Differential Equations	Wang, J.	BAIL 207	Mon	Mar 17-17	8:30 - 10:30 A.M.
MTH*197*01	Discrete Math for Comp Sci	Hardin, C.	OLIN 107	Wed	Mar 17-17	2:30 -4:30 P.M.
MTH*199*01	Intro to Logic & Set Theory	Barbanel, J.	BAIL 207	Wed	Mar 15-15	2:30 -4:30 P.M.
MTH*224*01	Geometry	Tonnesen-Friedman	BAIL 106	Mon	Mar 16-16	8:30 - 10:30 A.M.
MTH*340*01	Linear Algebra	Wang, J.	BAIL 104	Tue	Mar 18-18	9:00 - 11:00 A.M.
MTH*432*01	Abstract Algebra 2	Zimmermann, K.	BAIL 106	Thu	Mar 18-18	2:30 - 4:30 P.M.

Problem of the Newsletter: March 12, 2010

Last week's problem was solved successfully by several people, including **Tomás Kourim**, a visiting student from the Czech Republic, **Nirmala Jayaraman '13**, and **Schuyler Smith**. The problem was: Solve the alphametic below in such a way that maximizes the value of COUNT. (Each of the nine different letters that appear represents exactly one of the digits 0 through 9.)

$$\begin{array}{r} \text{PEOPLE} \\ +\text{COUNT} \\ \hline \text{CENSUS} \end{array}$$

SOLUTION (Census Problem)

We proceed to show that $\text{COUNT} = 96437$ is the maximum value possible, with the overall alphametic solution being

$$\begin{array}{r} 856805 \\ +96437 \\ \hline 953242 \end{array}$$

(That is, $P = 8$, $E = 5$, $O = 6$, $L = 0$, $C = 9$, $U = 4$, $N = 3$, $T = 7$, and $S = 2$.)

Clearly, $C = P + 1$. Since $C < 10$, we have $1 + E + C = E + 10$. Thus, $C = 9$ and $P = 8$.

Note that $E > 0$ and $T > 0$.

With $P = 8$ (and since 9 is already taken), we have $8 + U = S + 10$ or $8 + U + 1 = S + 10$. Thus, $U = S + 1$ or $U = S + 2$.

Since we have a carry digit of 1 for both the 10^3 and 10^4 place columns, it follows that $O + O + 1 = N + 10$. So $2O = N + 9$.

In order to maximize COUNT, we make O as large as possible.

Suppose $O = 7$. Then $N = 5$. Also, $(U, S) \in \{(2, 0), (1, 0), (3, 1), (2, 1), (4, 2), (3, 2), (4, 3), (6, 4)\}$.

If $U = 6$ and $S = 4$, we have $8E78LE + 9765T = 9E5464$. But then (looking at the units and tens columns) $L = 1$ and either $E = 1$ or $T = 1$. So no solution is possible in this case.

In a similar fashion of examining the units and tens columns, we rule out all other (U, S) possibilities:

$U = 4$ and $S = 3$ forces $L = 9$, which is not possible because $C = 9$.

$U = 3$ or 4 and $S = 2$ leaves a solution for neither $E + T = 2$ nor $E + T = 12$.

$U = 2$ or 3 and $S = 1$ leaves a solution for neither $E + T = 1$ nor $E + T = 11$.

$U = 1$ or 2 and $S = 0$ forces $(E, T) = (4, 6)$ or $(6, 4)$, which leaves no solution for L.

We conclude that O cannot be 7.

Suppose $O = 6$. Then $N = 3$. We have $8E68LE + 96U3T = 9E3SUS$. To maximize COUNT, we make U as large as possible.

If $U = 7$, then $S = 5$. This forces $(E, T) = (1, 4)$ or $(4, 1)$ and $L = 4$, so there's no solution in this case.

If $U = 5$, then $S = 4$. From the remaining digits, namely 0, 1, 2, 7, there are no solutions for E and T.

If $U = 4$, then $S = 2$. It follows that $E + T = 12$ and $L = 0$.

To maximize COUNT, we choose $T = 7$ and $E = 5$.

Here is this week's problem: Study hard and ace your final exams. No problem, you say? See you in the spring!